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Keywords: city breathability, compact cities; mean age of air; exchange velocity; wind tunnel measurements, CFD simulations

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Abstract: Breathability in dense building arrays with packing densities similar to those of typical European cities is investigated using laboratory measurements and numerical simulations. We focus on arrays made up by regularly spaced square buildings forming a network of streets with right-angle intersections. It is shown that breathability can be evaluated using building ventilation concepts (mean flow rate and age of air) and from vertical mean and turbulent fluxes quantifiable through a bulk exchange velocity. Mean age of air reveals that varying wind angles result in different ventilation, which we explain through mean flow streamlines and exchange velocity. For low wind angles (wind direction almost parallel to the axes of half of the streets of the network), vertical transfer and mean transversal transfers are at minimum and removal of pollutants is associated to mean longitudinal fluxes. Larger wind angles result in better ventilation due to an increase of transversal fluxes and vertical exchange. The latter, for which a formulation is derived, shows a non-negligible contribution of the mean flow which increases with increasing wind angle. Ventilation conditions can be further altered by small differences in the array geometry. These observations are useful for the development of simple urban dispersion models.

Suggested Reviewers:

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Abstract

 $1 - p$ $4.197 \cdot 1 - 1.99$ $\frac{1}{2}$ Breathability in dense building arrays with packing densities similar to those of typical European $\frac{3}{2}$ cities is investigated using laboratory $\frac{3}{4}$ cities is investigated using laboratory measurements and numerical simulations. We focus on arrays 5 made up by regularly spaced square $\frac{5}{6}$ made up by regularly spaced square buildings forming a network of streets with right-angle 7 intersections. It is shown that breathability can be evaluated using building ventilation concepts 8 and 2010 9 (mean flow rate and age of air) and from vertical mean and turbulent fluxes quantifiable through a 10 11 bulk exchange velocity. Mean age of air reveals that varying wind angles result in different 12 and 14 is a solution of \mathbb{R}^2 $\frac{12}{13}$ ventilation, which we explain through mean flow streamlines and exchange velocity. For low wind 14 angles (wind direction almost paral $_{15}^{14}$ angles (wind direction almost parallel to the axes of half of the streets of the network), vertical $\frac{16}{12}$ transfer and mean transversal transfers are at minimum and removal of pollutants is associated to 17 18 mean longitudinal fluxes. Larger wind angles result in better ventilation due to an increase of 19 20 transversal fluxes and vertical exchange. The latter, for which a formulation is derived, shows a 21 1.11 1.1. 0.1 $\overline{22}$ non-negligible contribution of the mean flow which increases with increasing wind angle. 23 Ventilation conditions can be further $\frac{23}{24}$ Ventilation conditions can be further altered by small differences in the array geometry. These 25 observations are useful for the develop- $\frac{25}{26}$ observations are useful for the development of simple urban dispersion models.

29 Keywords: city breathability, compact cities; mean age of air; exchange velocity; wind tunnel 30 31 measurements, CFD simulations

34 1 Integration $\frac{34}{35}$ 1. Introduction

65

36 In recent years health risks $\frac{36}{37}$ In recent years, health risks associated with microclimate variations and exposure to 38 concentrations of harmful pollutants in cities have inspired a large number of studies focusing on 39 40 the mechanisms that drive momentum, mass and heat transfer within urban canopies. According to 41 42 recent studies (e.g. Fernando et al., 2010; Dallman et al., 2013; Zaijc et al., 2015) at the core of 43 a a r a c a r a $\frac{12}{44}$ these studies there is the relationship between turbulent transfers of both active and inactive 45 variables and vrhan marshels av in $\frac{45}{46}$ variables and urban morphology in real atmospheric conditions. Given the high complexity of the 47 roblem often the interpretation of f $\frac{47}{48}$ problem, often the interpretation of field measurements are backed up by numerical simulations and ⁴⁹ controlled laboratory experiments. The choice of the modelling approach depends somewhat upon 50 51 the level of details of the atmospheric processes represented and therefore upon the chosen spatial 52 scales, namely the street, the neighbourhood and the city scale (Britter and Hanna, 2003).

54 (a) $\frac{1}{4}$ (b) $\frac{1}{4}$ (c) $\frac{1$ 55 At the street and neighbourhood scale, experiments and numerical simulations have been 56 corried out to evolugte the effect of $\frac{55}{57}$ carried out to evaluate the effect of a wide range of features affecting pollutant dispersion. These 58 include the street aspect ratios the 59 include the street aspect ratios, the roof-shape, the length of the canyon, the building packing 60 density, the wind direction, etc. (e.g. Yim et al., 2009; Gousseau et al., 2011; Salim et al., 2011). 61

1 $10 \cdot 1$ (2012) $\frac{1}{2}$ and Stathopoulos (2013). For recent reviews on these topics the reader is referred to Di Sabatino et al. (2013) and Tominaga

 $\frac{3}{1}$ At the neighbourhood scale mos $\frac{3}{4}$ At the neighbourhood scale, most of the studies on pollutant dispersion focus on the case of 5 obstacle arrays with low obstacle den $\frac{5}{6}$ obstacle arrays with low obstacle density (e.g. Yee and Biltoft, 2004; Coceal et al., 2007) in which 7 wakes developing downwind of each obstacle interact with each other (Oke, 1998). The geometry 8 and 1 c 9 of low density obstacle arrays is similar to that of North American or European suburban 10 11 neighbourhoods (Di Sabatino et al., 2010). In contrast, these configurations are very different from 12 $\frac{12}{13}$ central neighbourhoods of most European cities (Fig. 1), where buildings are regularly and densely 14 nacked Flow and dispersion within $\frac{14}{15}$ packed. Flow and dispersion within these densely packed neighbourhoods have been rarely studied 16 (e.g. Garbero et al., 2010; Hang et al., 2012a; Panagiotou et al., 2013) even though they are 17 (ii) $e^{(-2.5 - 1.45 + 1.45)}$ (iii) 100 and 10 18 characterized by high traffic levels and a high density of population.

19 20 The main objective of the paper is to examine city breathability and consequently dispersion 21 **1.1 1.1 1.1 1.1** $\overline{22}$ conditions within European-like urban canopies, focusing on the influence of a varying wind 23 divertise and of clients use difference $\frac{25}{24}$ direction and of slight modifications of the geometrical parameters of the building arrays. To that 25 nurnose we adont concents and term $\frac{25}{26}$ purpose, we adopt concepts and terminology that were originally introduced in building ventilation ²⁷ analyses (Etheridge and Sandberg, 1996), a practice that is becoming customary in the field of the 28 and 29 and 20 an 29 urban fluid mechanics. City breathability reflects the potential of a city to be ventilated under the 30 31 action of the wind blowing through it. Therefore, this potential is directly related to the air flow 32 and the set of the
Set of the set of the ³³ patterns taking place within the urban canopy and resulting from the interaction between the 34 converges $(10, \text{oity})$ et measure $\frac{1}{2}$ $35⁴$ approaching (to city) atmospheric flow with the building blocks (Panagiotou et al., 2013). The 36 evaluation of the breathability of a ³⁶ evaluation of the breathability of a city (or part of it), can be done through the estimation of bulk ³⁸ flow parameters such as the mean flow rate, the mean age of air and the exchange velocity. The 39 40 combined analysis of mean flow rate and mean age of air allowed Buccolieri et al. (2010) and Hang 41 42 et al. (2012a, 2012b) to successfully assess the breathability of urban canyons and obstacle arrays. 43 and the state of the sta $\frac{13}{44}$ In particular, the mean age of air was employed to directly link the rate of removal of the 45 conteminent to the negation within the $\frac{45}{46}$ contaminant to the position within the urban canopy, and therefore allows for a detailed mapping of 47 the "breathability" notential of a give the "breathability" potential of a given neighbourhood or building configuration (Buccolieri et al., 48 49 2010; Panagiotou et al., 2013; Neophytou et al., 2014).

51 Other authors have attempted to quantify ventilation conditions of street canyons (e.g. Solazzo 52 53 and Britter, 2007; Solazzo et al. 2010; Salizzoni et al., 2009; Moonen et al., 2011) and urban $54 \cdot 72 \cdot 120121$ canopies (Panagiotou et al., 2013) by estimating a pollutant exchange velocity, a bulk quantity that 56 includes all contribution to the ver $\frac{55}{57}$ includes all contribution to the vertical transfer of mass out of the canyon through the canopy 58 interface Simplified models for the ⁵⁸ interface. Simplified models for the exchange velocity have been proposed by Bentham and Britter 60 (2003) who considered a constant flow velocity within the canopy layer instead of the usual 61

 $1 \t1 \t1 \t1 \t1 \t1 \t1 \t1$ $\frac{1}{2}$ developing at the roof level. Both parameterizations have been tested with satisfactory results $\frac{3}{3}$ within street network dispersion me $\frac{3}{4}$ within street network dispersion models simulating pollutant transfer within and above urban 5 canonies (e.g. Hamlyn and Britter, 20) $\frac{5}{6}$ canopies (e.g. Hamlyn and Britter, 2005; Carpentieri et al., 2012; Ben Salem et al., 2015). logarithmic profile, and by Soulhac et al. (2013) who explicitly considered the shear layer

 7 Following these authors, we investigate city breathability within European-like urban canopies 8 and 2011 and 2012 and 2013 and 2014 9 (Section 2), focusing on the extreme cases of densely packed arrays and variable incident wind 10 11 direction. To this aim we use Computational Fluid Dynamics (CFD) simulations (Section 3), $12 - 111 + 1$ $\frac{12}{13}$ validated against wind tunnel data (Section 4), to study the effect of wind direction and minor 14 modification of the geometry of the $\frac{14}{15}$ modification of the geometry of the array on three parameters - the mean flow rate (Section 5), the $\frac{16}{12}$ mean age of air and the exchange velocity (Section 6). Results are discussed in terms of reliability 17 **Extracting** the line line and continuing the 18 of the two main strategies adopted nowadays for the operational modelling of pollutant dispersion 19 20 in city neighbourhood: canopy models (Coceal and Belcher, 2004; Di Sabatino et al. 2008; Di 21 (1) $\frac{1}{2}$ (1) $\frac{20111}{1}$ (1) $\frac{1}{2}$ $\overline{22}$ Sabatino et al., 2011b), which adopt a horizontally spatially-averaged description of flow and 23 diagrams that model the electrols of $\frac{25}{24}$ dispersion that model the obstacle array by means of morphometric parameters, such as the planar 25 area (1) and the frontal area (1) in area (λ_p) and the frontal area (λ_f) indices (or the drag coefficient C_D), and street network models, ²⁷ which adopt explicit parameterisations for the main exchange phenomena within the urban canopy 28 29 (Soulhac et al, 2011).

Fig. 1 about here

37 and the building confidential 37 and 27 and 37 and 29 and 37 and 29 and 37 a $\frac{37}{38}$ 2. Description of the building configurations

39 Urban geometries chosen here, although still idealized, are representative of the neighbourhood 40 c ⁴¹ scale of many European cities, with an average building height H of 12–20m and λ_p equal to around 42 43 0.40. In these urban geometries (Fig. 1), buildings are densely packed and their width exceeds that 44 **c** d d D 1 ¹¹/₄₅ of the streets separating them. Below roof level, the interaction between the flow developing in 46 different regions of the domain is li $\frac{48}{47}$ different regions of the domain is limited and it is therefore possible to distinguish features of the 48 flow within a street from that devel $^{48}_{49}$ flow within a street from that developing at an intersection or within a square. For these reasons, ⁵⁰ these urban geometries have been referred to as 'street networks' (Soulhac et al., 2011), since they 51 52 can be properly modelled as a network of connected boxes.

53 54 The building configurations use 55 **1 c** 1 1 1 ¹ The building configurations used in this study are those presented by Garbero et al. (2010),
55 who performed wind tunnel experiments of pollutant dispersion within obstacle arrays mimicking 57 the large seeds geometry of a typical $58⁵⁸$ the large scale geometry of a typical real urban area similar to those shown in Fig. 1. The physical 59 model represents explicitly the geometric ⁵⁹ model represents explicitly the geometrical features of the buildings by means of regular spaced ⁵⁹

1 $\frac{1}{1}$ $\frac{1}{1}$ $\frac{1}{1}$ $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ and *H*=50mm high, representing 20m high buildings at a 1:400 scale. blocks. In the experiments, the blocks were squares of side $L=W=250$ mm in the horizontal plane

 $\frac{3}{10}$ Fig. 2 shows the three configura $\frac{3}{4}$ Fig. 2 shows the three configurations studied, referred to as Configuration 1, Configuration 2 5 and Configuration 3. The three con- $\frac{5}{6}$ and Configuration 3. The three configurations were obtained by varying the spacing S_x and S_y 7 between the buildings. It is worth mentioning that Configuration 3 is the same as Configuration 2 8 and 2012 9 rotated by an angle of 90°. Flow and dispersion were studied for different wind directions (θ) with 10 11 respect to the x-direction axis, namely 2.5°, 12.5°, 27.5° and 47.5°. The pollutant source was placed 12 at least $U/2$ (25 mm of min d town of $\frac{12}{13}$ at height H/2 (25mm at wind tunnel scale) within an intersection located in the middle of the model.

 14 The planar area index i is equal ¹⁴₁₅ The planar area index λ_p is equal to 0.69 for Configuration 1 and 0.59 for Configuration 2 and 3 16 and is independent from wind direct ¹⁶ and is independent from wind direction. The values of the frontal area index λ_f depend on the wind 18 direction and were calculated by projecting the frontal areas of the buildings along the wind 19 20 direction (Ratti et al., 2006), see Table 1.

Fig. 2 about here

Table 1 about here

29 In the experiments the wind t ²⁹ In the experiments the wind tunnel floor was completely covered by blocks, in order to 31 reproduce a well developed boundary layer flow above the simulated canopy in the terminal part of $32 \qquad \qquad \overline{1}$ 33 the test section, where dispersion experiments were carried. Profiles of the mean longitudinal 34 velocity and of the turbulent kinetic energy measured in the overlying boundary layer flow are 36 **1 · F: 2 T1** 1 11 1 $37\over 37$ shown in Fig. 3. The neutrally stratified boundary layer depth was $\delta=15H$, with a reference 38 and interpreted velocity $U = 4.9 \text{ m s}^{-1}$ at $\frac{38}{39}$ undisturbed velocity U_{ref} = 4.8ms⁻¹ at $z = \delta$.

Fig. 3 about here

45 2×1 1×1 $\frac{15}{46}$ 3. Numerical modelling set-up

 47 CFD simulations were performed $^{47}_{48}$ CFD simulations were performed by means of the code Fluent (2006) solving the 3D steady-49 state incompressible and isothermal ⁴⁹ state, incompressible and isothermal Reynolds-Avergaed Navier-Stokes (RANS) with the standard 51 k- ε closure model (Launder and Spalding, 1974). The limitations of RANS closure models in 52 53 simulating turbulent mass exchange phenomena in complex geometries are well documented in the 54 155 literature (e.g. Tominaga and Stathopoulos, 2013). Broadly speaking, these are related to the 56 uncertainty associated to the values of the turbulent Schmidt number Sc_t and to their inherent 58 inspliity to simulating intermittent pl $\frac{58}{59}$ inability to simulating intermittent phenomena.

 1 r $10'$ $10'$ (10) $\frac{1}{2}$ Large Eddy Simulation (LES) have shown the reliability of the RANS models in reproducing the $\frac{3}{3}$ enotial distribution of mean velocity $\frac{3}{4}$ spatial distribution of mean velocity and concentration fields (e.g. Santiago and Martilli, 2010; 5 Dejoan et al. 2010: Tominage and S $\frac{5}{6}$ Dejoan et al., 2010; Tominaga and Stathopoulos, 2013). For these reasons, RANS closure models 7 are still widely used to investigate the main feature charactering the mechanics of ventilation of 8 and 2012 and 2013 9 street canyons and urban canopies, as recently done in the comprehensive MUST CFD-evaluation 10 11 exercise within COST Action 732 (Di Sabatino et al., 2011a). Further examples of RANS 12 \ldots \ldots $\frac{12}{13}$ simulations are provided by Solazzo and Britter (2007) and Murena et al. (2011), who estimated the 14 vertical exchanges within a square 14 vertical exchanges within a square section and a deep street canyon, respectively. Santiago et al. $\frac{16}{12}$ (2014) studied the effects of thermal fluxes on the air circulation within a street canyon. Santiago et 17 (a) 11 million and the contract of the second secon 18 al. (2008) investigated the flow within and above a sparse canopy. Buccolieri et al. (2010), Hang et 19 and the contract of the con 20 al. (2012a), Panagiotou et al. (2013) used RANS model to investigate the ventilation condition of 21 $\overline{22}$ urban canopies with varying packing density. Despite these limitations, accurate comparisons of RANS simulations with experiments and

23 In the group out other hafare wain $22\frac{23}{24}$ In the present study, before using RANS simulations to assess ventilation conditions within the 25 canony we accurately verified the s $^{25}_{26}$ canopy, we accurately verified the accuracy of the predicted mean concentration by a comparison 27 with wind tunnel data. The main goal of these comparisons was to identify the values of the 28 and 28 an 29 Schmidt number Sc_t allowing for the best agreement between simulated and measured 30 31 concentrations.

32 $\frac{33}{33}$ Following the state-of-art simulation requirements (Di Sabatino et al., 2011a), the 34 commutational domain was built w $35⁴$ computational domain was built using hexahedral elements (about four millions), with a finer 36 resolution within the entire building $\frac{36}{37}$ resolution within the entire building area (the expansion ratio between two consecutive cells was 38 below 1.3). The smallest dimensions of the elements in the x, y and z directions were 39 $\Delta x_{\text{min}} = \Delta y_{\text{min}} = 0.1H$ and $\Delta z_{\text{min}} = 0.03H$, respectively. The influence of the grid size was verified using 41 42 two additional meshes (mesh 1: $\Delta x_{\text{min}} = \Delta y_{\text{min}} = 0.1$ H and $\Delta z_{\text{min}} = 0.03$ H; mesh 2: $\Delta x_{\text{min}} = \Delta y_{\text{min}} = 0.1$ H and 43 $44 \Delta z_{min} = 0.02$ H). The differences of the mass fluxes entering and leaving the array computed adopting 45 46 the three meshes showed difference of less than 5%. Symmetry boundary conditions, required to 47 c 11 1 c · $\frac{1}{48}$ enforce a parallel flow, were imposed on the top and lateral sides of the domain. At the downwind 49 hourdow of the domain a nucleuse $\frac{49}{50}$ boundary of the domain a pressure-outlet condition was used. No-slip wall boundary conditions 51 were used at all solid surfaces (Fig. $51₅₂$ were used at all solid surfaces (Fig. 4). Second order discretisation scheme was used for pressure 53 whereas second order upwinding discretisation schemes (Barth and Jespersen, 1989) were used for 54 55 mean momentum, turbulent kinetic energy, its dissipation rate and the scalar concentration in order 56 57 to increase the accuracy and reduce numerical diffusion. The SIMPLE scheme was used for the 58 1 2 1 2 3 4 5 6 1 2 3 4 5 6 7 2 $\frac{1}{2}$ 5 6 $\frac{1}{2}$ 5 $\frac{1$ pressure-velocity coupling. Simulations were run until the residuals became constant (equal or 60 holow 10.05 $_{61}^{60}$ below 1e-05).

1 $\frac{1}{1}$ $\frac{1}{1}$ $\frac{1}{1}$ $\frac{1}{1}$ $\frac{1}{1}$ $\frac{1}{1}$ $\frac{1}{1}$ $\frac{1}{2}$ mean longitudinal velocity (*U*), turbulent kinetic energy (*k*) and dissipation rate (*ε*). This latter 3 $\frac{4}{1}$ quantity is estimated from direct est $\frac{1}{2}$ d₂ (both w the distribution of the production term $\frac{1}{2}$ d₂ (both w the 6 7 Reynolds stress) and under the assump Reynolds stress) and under the assumption of local equilibrium, i.e. $P=$ ε .
⁸
The inlet wind velocity was assumed to follow a power law profile of the form: As inlet boundary conditions (see Fig. 3) we imposed profiles fitting the experimental data of As inlet boundary conditions (see Fig. 3) we imposed profiles fitting the experimental data of
mean longitudinal velocity (*U*), turbulent kinetic energy (*k*) and dissipation rate (*c*). This latter
quantity is estimated erimental data of

e (ε). This latter

(being $\overline{u'w'}$ the

: As inlet boundary conditions (see Fig. 3) we imposed profiles fitting the e:
mean longitudinal velocity (*U*), turbulent kinetic energy (*k*) and dissipation i
quantity is estimated from direct estimates of *k* production As inlet boundary conditions (see Fig. 3) we imposed profiles fitting the experime
ean longitudinal velocity (*U*), turbulent kinetic energy (*k*) and dissipation rate (*c*).
uantity is estimated from direct estimates of

8

$$
\frac{11}{12} \qquad \frac{U}{U_H} = \left(\frac{z}{\delta}\right)^\alpha \tag{1}
$$

 14 where the coefficient α -0.27 wes s ¹⁴ where the coefficient α =0.27 was set by fitting the experimental profile. The vertical profiles of 16 turbulent kinetic energy (k) dissipation rate (ε) are of the form: 17 whenever the case of ω and ω

$$
\frac{18}{19} \qquad \frac{k}{u_*^2} = \frac{1}{\sqrt{C_\mu}} \left(1 - \frac{z}{\delta} \right) \tag{2}
$$

$$
\frac{22}{23} \qquad \frac{\varepsilon \delta}{u^3} = \frac{\delta}{\kappa z} \left(1 - \frac{z}{\delta} \right) \tag{3}
$$

25 a α α α where κ =0.4 the von Kàrmàn constant, C_{μ} =0.09 and u_* =0.23ms⁻¹ is the friction velocity estimated 27 c d **p** 11 c c $\frac{1}{2}$ $\frac{28}{28}$ from the Reynolds stress profiles in the wind tunnel experiments (Garbero et al., 2010).

Fig. 4 about here

34 Sensitivity to the inlet profiles was assessed through several tests. Values of the coefficient α 35 36 and, accordingly, of the maximal k and ε levels, were varied of \pm 20%. Results show that the flow 37 38 tends to reach an equilibrium conditions two rows of blocks downstream the beginning of the array, 39 40 irrespective to the variations imposed at the inlet profiles. As a consequence, the estimates of the 41 $\frac{41}{42}$ mass and air fluxes leaving and entering the array do not show significant differences (less than 5%) 43 roduced by the variations of the inlet $_{44}^{43}$ produced by the variations of the inlet boundary conditions.

⁴⁵ Two different types of sources were considered in the passive scalar dispersion simulations. 46 ⁴⁷ Firstly we simulated the emission from a localized source represented by a cube of 0.02H size 48 49 placed within an intersection at $z=H/2$ (as in the experiments) and after the fifth row of blocks (Fig. 50 $\frac{3}{51}$ 2). Results achieved with this set-up are presented in Section 4 with the aim of validating CFD 52 cinculations against wind towned over $\frac{53}{53}$ simulations against wind tunnel experiments. Secondly, we considered the case of a volume source, 54 distributed uniformly over the whom $55⁴$ distributed uniformly over the whole volume of the canyons and intersections composing the ⁵⁶ simulated urban canopy. Results achieved with this set-up are presented in Sections 5-6 with the 57 58 aim of quantifying the ventilation conditions. 59

 1 $\frac{1}{2}$ and testing three different values of the turbulent Schmidt number Sc_t , which was set equal to 0.3, $\frac{3}{2}$ 0.7 and 1 The analysis of the result $\frac{3}{4}$ 0.7 and 1. The analysis of the results showed that simulations results obtained with Sc_{t} =0.7 5 (standard value in Fluent) provided $\frac{5}{6}$ (standard value in Fluent) provided by far the best accordance with experimental results (see 7 Section 4). The passive scalar dispersion simulations were carried out using the advection-diffusion module

10 11 4. Numerical modelling validation

 $12 \rightarrow 12$ $\frac{12}{13}$ As a first step, we present a comparison between numerical and experimental results of 14 Garbero et al. (2010) to demonstr $\frac{14}{15}$ Garbero et al. (2010) to demonstrate the reliability of RANS modelling to properly simulate 16 processes that drive pollutant dispersion within the arrays. We focus first on the dispersion of a 17 **Figure 12.1 Contract 22.2 Figure 12.2 Figure** 18 passive scalar emitted by a point source (placed at a street intersection within the canopy). As an 19 20 example, Figs. 5-7 show horizontal profiles within the canopy of the longitudinal (u, x-velocity) and 21 and 21 and 22 an transversal (v, y-velocity) components of the mean velocity normalized by U_H =1.6ms⁻¹ (the 23 rue disturbed y velocity component s undisturbed x-velocity component of the approaching flow at the building height H (Figs. 5-6)). 25 Fig. 7 shows profiles at different loc $^{25}_{26}$ Fig. 7 shows profiles at different locations of the mean pollutant concentration c expressed in non-27 dimensional form as: 28

$$
c^+ = \frac{cU_H H L}{Q} \tag{4}
$$

 $32 \t\twhere O$ is the emission rate (σs^{-1}) . In ³² where Q is the emission rate (gs⁻¹). In all figures the origin of the x-y coordinate system is located at 34 the source position (see Fig. 2). 35

36 In particular, Fig. 5 shows numerical and experimental horizontal and vertical profiles of the 37 $\qquad \qquad$ \qquad $\qquad \qquad$ \qquad \q 38 mean velocity for Configurations 1 and 2 (θ =2.5°). We observe that u is much larger than v. This is 39 decided to the change of $\mathcal{C}_{\mathbf{z}}$ of $\mathcal{C}_{\mathbf{z}}$ of $\mathcal{C}_{\mathbf{z}}$ $\frac{35}{40}$ due to the channelling effect in the street whose axis is (almost) aligned with the wind direction and $\frac{41}{1}$ the weak interaction with the flow the weak interaction with the flow within the transversal streets. This is confirmed by the low 43 values of w, which indicates that mean vertical transfers are small compared to those in the 44 45 longitudinal direction. This flow structure is altered for larger wind directions (Fig. 6), where u and 46 47 v at the street intersections are of the same magnitude, suggesting the presence of a higher 48 49 interaction of the flows coming from (or directed to) the streets forming the intersections.

 50 ⁵⁰₅₁ The main differences between the experimental and numerical results are observed within the 52 street intersection (Figs. 5.6) which $53⁵²$ street intersection (Figs. 5-6), which represents the region where the streamlines are more complex 54 (Soulhac et al. 2009). This will be d 55 (Soulhac et al., 2009). This will be discussed in detail in Section 5.

> Fig. 5 about here Fig. 6 about here

1 σ 11.4 σ 11. σ 11. σ 11. $\frac{1}{2}$ field, the concentration fields provided by the numerical simulation reproduce generally well those $\frac{3}{2}$ observed experimentally (Fig. 7) $\frac{3}{4}$ observed experimentally (Fig. 7). The concentration profiles for $\theta = 2.5^{\circ}$ clearly reflect what 5 evidenced in Fig. 5 i.e. that the chann ⁵ evidenced in Fig. 5, i.e. that the channeling of the flow confines the plume within the street in which ⁷ the pollutant has been emitted and that its spread in the lateral streets is inhibited by the absence of 8 9 a mean lateral advection. This channelling takes place for both Configurations 1 and 2, and is $10 \qquad \qquad 1 \qquad \qquad 1 \qquad \qquad 1 \qquad \qquad 1 \qquad \qquad 1$ 11 therefore almost insensitive to S_y/H (see Fig. 7a,b). Conversely, a larger ratio S_x/H (Fig. 7c) results 12 \ldots 14.1 1.0 $\frac{12}{13}$ in completely different concentration patterns. In this case, as shown by Hoydysh and Dabberdt 14 (1004) even a slight asymmetry in $^{14}_{15}$ (1994), even a slight asymmetry in the flow configuration, as that occurring for $\theta = 2.5^{\circ}$, produces ¹⁶ enhanced lateral fluxes at street intersection and much higher concentration level in the lateral 17 18 streets. However, since the mean velocity component along the lateral street is lower than the 19 20 intensity of the vertical transfer, from the street to the outer atmosphere, the concentration within 21 $\overline{22}$ the lateral streets exhibits a high gradient along the y-direction. Despite local differences between numerical and experimental results observed in the velocity

23 The role of these lateral fluxer $22\frac{23}{24}$ The role of these lateral fluxes at street intersections and of those along the street axes is 25 significantly increased for larger in $^{25}_{26}$ significantly increased for larger incident angles (Fig. 7d). Their combined effect enhances the ²⁷ effectiveness of the transfer of momentum in the horizontal plane compared to that in the vertical 28 29 direction. In this case the concentration pattern within the array is characterized by approximately 30 31 constant values within the street and sharp gradient at the intersections. Physically, this witnesses a 32 and $\frac{1}{2}$ and $\$ $\frac{33}{33}$ much more efficient transfer within the street compared to that at street intersections and at roof 34 layel as will be discussed in detail in $\frac{34}{35}$ level, as will be discussed in detail in Section 6. The intensity of this latter transfer plays evidently a 36 major role in the ventilation of the c $\frac{36}{37}$ major role in the ventilation of the canopy, and we expect it to depend on both the street geometry 38 and the wind direction. 39

Fig. 7 about here

45 To assess the overall model performance, several standard metrics have been applied to the 46 concentration values measured and calculated at both $z=H/2$ and $z=2H$, namely the normalized 48 mean caught agency NMCE the fraction $^{40}_{49}$ mean square error NMSE, the fraction of predictions within a factor of two of observations FAC2, 50 the fractional bias $FR = FR_0$ (false r ⁵⁰ the fractional bias $FB = FB_{fn}$ (false negative) – FB_{fb} (false positive) and the Hit Rate validation test ⁵² q (using a fractional deviation equal to 0.25 and an absolute deviation equal to 0.04 based on 53 54 experimental uncertainty). According to COST Action 732 (Di Sabatino et al., 2011a), even though 55 56 there are not fixed values, recommended criteria may be given by the following values: NMSE \leq 57 **15 F163** 0.5 0.2 FP 10.2 $58 - 1.5$; FAC2 ≥ 0.5 ; $-0.3 \le FB \le 0.3$; q ≥ 0.66 . Results are presented in Table 2, which shows a quite 59 setisfectory model performance in satisfactory model performance in terms of the essential features of the mean velocity and 61 concentration field even though the 62 concentration field, even though the Hit Rate is slightly below the limit value. Further it should be

1 and $\mathbf{1}$ and $\mathbf{1}$ and $\mathbf{1}$ and $\mathbf{1}$ $\frac{1}{2}$ concentration, which occurs evenly for any configuration studied. Therefore this implies a 3 systematic minor overestimation of a $\frac{3}{4}$ systematic minor overestimation of all ventilation conditions presented here, as estimated by the 5 CFD models. This supports the use $\frac{5}{6}$ CFD models. This supports the use of the RANS approach to investigate city breathability, as 7 reported in the next sections. noted that the FB shows a slight tendency of the model in underestimating the experimental

Table 2 about here

13 $\frac{10}{14}$ 5. Air flow within the arrays

 15 Once volidated against experiment ¹⁵
16 Once validated against experiments, numerical modelling is used as a tool to enlighten features $\frac{17}{12}$ of the flow that would require a big experimental effort to be estimated, such as the air and mass 18 and 1 19 fluxes entering and leaving the obstacle array, and that are meaningful for ventilation analyses. As 20 21 suggested from the analysis of the mean concentration presented in Section 4, mass transfers are 22 $\overline{23}$ sensitive to the geometrical configurations and wind direction. This dependence may alter 24 significantly the ventilation condition $2\frac{24}{25}$ significantly the ventilation condition within the array. Our aim here is to gain further information 26 on these transfer processes by applying $\frac{26}{27}$ on these transfer processes by applying breathability concepts to CFD results.

30 5.1. Flow pattern

32 The sketch of streamlines (Fig. 8), coloured depending on the local value of w/U_H , illustrates 33 $\frac{34}{34}$ the flow structure while highliting the effect of the street aspect ratio and the wind direction. The 35 streamlines start from two vertical. $\frac{35}{36}$ streamlines start from two vertical planes yz (i.e. almost perpendicular to the wind when θ =2.5°) 37 located in the first two parallel street $\frac{37}{38}$ located in the first two parallel street canyons at the left of each subfigure. We first focus on the 39 $\theta = 2.5^{\circ}$ case (Fig. 8a.b). For S_r=H (θ = 2.5° case (Fig. 8a,b). For S_x=H (Configurations 1-2) interactions between the flow within the ⁴¹ intersection and the flow within the crossing streets are reduced. The flow is characterized by a 42 43 channelling along the main street parallel to the wind direction and vertical axes vortices forming in 44 a contract and the set of the s the crossing streets close to the street intersections. Values of w/U_H are low, suggesting a minor 46 impact of vortical transfer Converse $\frac{48}{47}$ impact of vertical transfer. Conversely, for $S_x=2H$ (Configuration 3) vortices at the intersections 48 interact much more with the street f $^{48}_{49}$ interact much more with the street flow leading to complex flow patterns that are strongly coupled ⁵⁰ with the flow above. Despite the low porosity of the obstacle array ($\lambda_p=0.59$), the flow shows 51 52 similar features to those commonly observed in the wake interference regime (Oke, 1988).

53 54 For increasing wind directions, the organized structure of the flow observed for Configuration 1 55 12 13 11 $\frac{56}{56}$ and 2 progressively disappears and the streamlines coming from the streets merge within the street 57 intersections A flow obenealing algo $\frac{58}{58}$ intersections. A flow channelling along the street axes is observed both along the x and y directions 59 and vortices found behind the build ⁵⁹ and vortices found behind the buildings in the low θ case disappear. As the wind direction attains $61 \qquad \theta = 47.5^{\circ}$ (Fig. 8c,d), the street aspect ratio seems to loose its influence on the overall flow structure

 1 0 μ 0 0 0 π 50 1 $\frac{1}{2}$ Configuration 2 for θ =47.5°) becomes very similar. Finally, it is to note that the values of w/U_H are $\frac{3}{2}$ locally larger (expecially at street in $\frac{3}{4}$ locally larger (especially at street intersections) than those observed for lower wind angles. As 5 discussed in Section 6 this feature h $\frac{5}{6}$ discussed in Section 6, this feature has a direct impact on the magnitude of the vertical fluxes of 7 pollutant out of the canopy. and the flow observed in the two Configuration 1 and Configuration 3 (that is similar to

Fig. 8 about here

14 5.2. Mean flow rate

64 65

16 A current methodology for the evaluation of the efficiency of forced and naturally ventilation 17 ¹⁸ of enclosed spaces rely on the estimate of the mean air flow rates leaving and entering a control 19 realization (Edward and Condition 10) $\frac{20}{20}$ volume (Etheridge and Sandberg, 1996). Following Buccolieri et al. (2010), we have adapted this 21 concent originally used for confine $\frac{21}{22}$ concept, originally used for confined domains, to the case of a semi-confined domain, as the air 23 volumes within the obstacle array Te 23 volumes within the obstacle array. To that purpose we define a normalized flow rate as:

$$
\begin{array}{l}\n\mathbf{25} \\
\mathbf{26} \\
\mathbf{27} \\
\mathbf{28} \\
\mathbf{29}\n\end{array}\n\mathbf{q}^* = \frac{q}{4} \int_{\mathbf{r}_{\text{ref}}} \mathbf{U}_i \cdot \mathbf{n}_i dA \int_{\mathbf{r}_{\text{ref}}} \mathbf{n}_i dA_{\text{ref}} \tag{5}
$$

 30 \overline{t} is the exitation of \overline{t} where U_i is the spatially-averaged velocity over the area (A) of the street opening (which 32 corresponds to the empty space $\frac{32}{33}$ corresponds to the empty space between two adjacent buildings; alternatively, upstream, 34 downstream sides and top roof of th downstream, sides and top roof of the array) and n_i is the normal direction of street openings. q_{ref} is ³⁶ the reference flow rate through the area A_{ref} far upstream of the building array, where the wind 37 38 velocity is \bar{u}_{ref} (along the x-direction, see Fig. 2). The extent of the reference area A_{ref} is the same as 39 ⁴⁰ that of the section of the street through which air enters within the array. The flow rates are defined 41 42 positive (red in the colour figure, black in the B&W figure) for air entering the array, negative 43 44 (yellow in the colour figure, grey in the B&W figure) for air leaving the array. The vertical flow 45 $\frac{46}{46}$ rate is indicated by an arrow at the centre of each array.

 47 Ear $4-2.5^{\circ}$ and $4-12.5^{\circ}$ (Fig. 6) $^{47}_{48}$ For $\theta = 2.5^{\circ}$ and $\theta = 12.5^{\circ}$ (Fig. 9a,b) the flow enters the array from the lateral sides (positive 49 flow rates) for all three configuration $^{49}_{50}$ flow rates) for all three configurations. This is in accordance with results of Buccolieri et al. (2010) 51 for regular arrays of cubes with similar λ_p and a perpendicular approaching flow. However, the 52 53 direction of the vertical net air flow of Configuration 2 differs from that of the two other 54 configurations. The vertical flow rate for Configuration 3 - $\theta = 2.5^{\circ}$ is much larger than that in any 56 57 of the other configurations, which is evidently linked to the pattern of the streamlines shown in Fig. 58 8 When the angle θ is slightly iner $\frac{58}{59}$ 8b. When the angle θ is slightly increased (=12.5°) the vertical flow is significantly reduced, almost ⁶⁰ by a factor 2, but it is still larger than that observed in the other configurations. The lowest values of 61 , 61

1 and \mathbf{u} and \mathbf{u} $\frac{1}{2}$ necessarily mean that there are no vertical fluxes, but only that their net contribution is almost null. the mean vertical flow rate are observed, in all configurations, for $\theta = 27.5^{\circ}$. Obviously, this does not

 $\frac{3}{1}$ It is worth noting that we cannot $\frac{3}{4}$ It is worth noting that we cannot identify clear tendencies of the intensity of mean air flows 5 both as a function of the array geometric $\frac{5}{6}$ both as a function of the array geometry and the wind direction. Therefore, we have to conclude ⁷ that the sole analysis of this parameter does not allow us to quantify the ventilation conditions of the 8 and 1 9 simulated city neighbourhood.

Fig. 9 about here

15 6. Dollutant dispersion and ventilar $\frac{15}{16}$ 6. Pollutant dispersion and ventilation analyses

¹⁷ To assess and to identify the 1 ¹⁷ To assess and to identify the mechanisms that control city breathability, we estimated two ¹⁹ parameters: the mean age of air and the bulk vertical exchange velocity. To that purpose we apply 20 21 the homogeneous emission method (Hang et al., 2009), which is based on the analysis of numerical 22 and 2 $\overline{23}$ experiments of pollutant dispersion emitted by a uniformly distributed emission rate within the 24 away (see Section 2) $2\frac{24}{25}$ array (see Section 3).

28 6.1. Mean age of air 29

30 The mean age of air is the typical time for the mass of a pollutant within an arbitrary small 31 32 control volume to be washed-out of an airflow system. From a Lagrangian point of view, it can be 33 and the contract of the con $\frac{33}{34}$ interpreted as a measure of the average time that a parcel of air takes to reach an arbitrary point $35 - f$ $\frac{35}{36}$ after entering in an airflow system or to be removed out of it (Etheridge and Sandberg, 1996). The 37 lower the local mean age of air $\frac{37}{38}$ lower the local mean age of air, the larger the local ventilation will be. Given the effective 39 uniformly distributed emission rate Q_U per unit volume and the corresponding tracer concentration 40 41 field c at a given location, the local mean age of air $\tau = c/Q_U$ is normalized as:

$$
\tau^* = \frac{\tau q_{ref}}{\text{VOL}} \tag{6}
$$

 46 where a_{e} is the reference flow rate where q_{ref} is the reference flow rate as defined in Eq. (5), VOL is the volume of the gaps within the 48 building array from the ground to the ⁴⁸ building array from the ground to the pedestrian level, that in our cases corresponds to $0.1H$ (2m in 49) 50 full scale) and it is at the fourth cell above the ground. 51

52 In their previous work, Buccolieri et al. (2010) showed the link between urban ventilation and 53 54 the building packing density, expressed in terms of the planar area index λ_p . Their findings for 55 1 C 1 C 1 1 1 regular arrays of cubes (i.e. $\lambda_p = \lambda_f$) subjected to a perpendicular approaching flow, show that the 57 mean ago of air increases as packing $\frac{57}{58}$ mean age of air increases as packing density increases. In particular, maximum values of mean age 59 of air occurred for $\lambda = 0.56$ due to $^{59}_{60}$ of air occurred for $\lambda_p = 0.56$ due to the presence of smaller recirculation zones with lower wind 61 velocity and larger pollutant accumulation. Pushing their analysis further, here the focus is to 62

 \cdots \cdots \cdots $\frac{1}{2}$ corresponds to varying incident wind directions. consider the case of densely packed arrays with similar λ_p and slight variations in λ_f which

 $\frac{3}{10}$ Table 3 shows the maximum the $\frac{3}{4}$ Table 3 shows the maximum, the spatial average and the standard deviation of the normalized mean age of air values at nedestrian les $\frac{5}{6}$ mean age of air values at pedestrian level, whereas Fig. 10 shows the normalized mean age of air at pedestrian level. In all the cases investigated, maximum and mean values of the age of air decrease 8 and 2012 **12:25 and 2012** (up to about 50%) as the deviation of wind direction from being perpendicular increases.

 11 The worst ventilation conditions occur for low incident angles (Fig. 10a,b) and it is observed $12 \quad 6 \cdot \text{C} \cdot \text$ $\frac{12}{13}$ for Configuration 2 - θ =2.5°. This can be due to an accumulation of pollutant related to the mean advection within the street which $14 \atop 15$ advection within the street, which makes the mean age of air older in downstream regions, $\frac{16}{12}$ especially for a wind direction parallel to the street axis for which the mean advection intensity is **Figure** 11 **Figure** 11 **Figure** 12 **Figure** 12 **Figure** maximized. As discussed by Soulhac and Salizzoni (2010), this accumulation may determine ground level concentrations that can even exceed those observed with a perpendicular wind $\overline{22}$ direction that is often erroneously identified as the worst case for street ventilation. These reduced 23 resultation in Configuration 2 nomin ventilation in Configuration 2 persists for increasing θ , up to $\theta = 27.5^{\circ}$. The wind direction $\theta = 27.5^{\circ}$ turns out to be critical also for Confi $^{25}_{26}$ turns out to be critical also for Configurations 1 and 3 (Fig. 10c,d), producing the highest maximum and averaged mean age of air.

Table 3 about here

 This picture of the flow and dispersion is completely altered in Configuration 3, which experiences the best ventilation conditions for low incident angles also (θ =2.5° and θ =12.5°). This is the test problem of \mathcal{S}_{c} $\frac{38}{38}$ is due to the combined effect of an efficient vertical exchange (see Subsection 6.2), which is related to the intense vertical mean flows $(S₁)$ to the intense vertical mean flows (Subsection 5.1) and relative low advective fluxes along the street ⁴¹ axes, which preclude the accumulation of pollutant within the street previously described.

Fig. 10 about here

 In summary, the value of the mean age of air shows an important variability both in maximum 49 reduce and in matially expressed yet $\frac{45}{50}$ values and in spatially-averaged values. This variability is due to changing wind directions and to elight variations in the array geometric $51₅₂$ slight variations in the array geometry, which in turn induces little variations in the morphometric 53 narameters λ and λ We stress here $^{53}_{54}$ parameters λ_p and λ_f . We stress here that all these features could not be easily inferred from the sole analysis of the mean air flow rates showing the challenge in defining different independent parameters to asses city breathability.

 These findings have important implications for the operational modelling of pollutant **i** \cdot **i** $\frac{61}{61}$ dispersion in such dense packed urban geometries. The fact that the ventilation conditions cannot be

 $1 \qquad \qquad 1 \qquad \qquad 1 \qquad \qquad 1 \qquad \qquad 0$ $\frac{1}{2}$ shortcomings for the adoption of modified Gaussian models, as those discussed by Huq and $\frac{3}{2}$ Eronzage (2013) and Venketrom et al. $\frac{3}{4}$ Franzese (2013) and Venkatram et al. (2004) and of canopy models (e.g. Di Sabatino et al., 2011b) 5 that aim in describing the spatially. $\frac{5}{6}$ that aim in describing the spatially-averaged ventilation conditions based on a reduced set of 7 parameters. The operational modelling of these dispersion processes has to rely in models that take 8 9 into account the canopy geometry explicitly, as CFD-based fast-response models (e.g. Patnaik and $10 \t 7 \t 10007 \t 10000$ 11 Boris, 2007; Carruthers et al., 2012) and street network models (Soulhac et al., 2011). easily linked to the variation of simple morphometric parameters implies indeed evident

14 6.2 Vortical oxchange velocity $\frac{14}{15}$ 6.2. Vertical exchange velocity

¹⁶ Street network models (Hamlyn et al. 2007; Soulhac et al, 2011) adopt 'ad hoc' simplified 17 ¹⁸ relations to quantify the mass fluxes within and above the urban canopy. A key parameter for this 19 20 modelling approach is the 'exchange velocity', referred to here as u_e , which represents an estimate 21 0.1 1 1 2 3 4 $\overline{22}$ of the vertical pollutant fluxes between the street canyons and the overlying atmosphere. Existing 23 readely for a Continue and Duits $22\frac{23}{24}$ models for u_e (Bentham and Britter, 2003; Soulhac et al., 2013) do not include explicitly any 25 dependence on the street convon geo $^{25}_{26}$ dependence on the street canyon geometry and wind incident angle θ . However, recent studies (Ben 27 Salem et al. 2015) have shown the $\frac{27}{28}$ Salem et al., 2015) have shown that the performance of these models can be improved by finer 29 **parameterizations** of u_e , namely by 29 parameterizations of u_e , namely by adopting empirical corrections (Soulhac et al., 2013) as a 31 function of the wind incident angle θ . This finding motivates the need for direct estimates of u_e 32 33 based on both numerical simulations and wind tunnel experiments. ling approach is the 'exchange velocity', referred to here as u_e , which represents an estition political pollutant fluxes between the street canyons and the overlying atmosphere. Exis for u_e (Bentham and Britter, 2003 elling approach is the 'exchange velocity', referred to here as u_e , which represents an es
vertical pollutant fluxes between the street canyons and the overlying atmosphere. Ex
ls for u_e (Bentham and Britter, 2003; So

34 $\overline{35}$ Strictly speaking, u_e can be regarded as a bulk velocity scale (e.g. Bentham and Britter, 2003; 36 9.1 1.1 1.1 1.1 1.1 1.1 1.1 1.1 1.1 $37\over 37$ Solazzo and Britter, 2007; Solazzo et al., 2010), or an exchange ratio, that can be used as a 38 surrogate for the complex transfer $\frac{38}{39}$ surrogate for the complex transfer processes between the canopy and the overlying atmosphere 40 (Salizzoni et al. 2010; Perret and Sa $^{40}_{41}$ (Salizzoni et al., 2010; Perret and Savory, 2013). This is defined as:

$$
\begin{array}{ll}\n42 & u_e = \frac{q_v}{A_{\text{roof}} \left(\left\langle \overline{C}_{\text{canopy}} \right\rangle - \left\langle \overline{C}_{\text{bkg}} \right\rangle \right)}\n\end{array} \tag{7}
$$

46 where \overline{C} denotes the spatially ⁴⁶ where $\langle \overline{C}_{canopy} \rangle$ denotes the spatially-averaged pollutant concentration within the urban canopy and 48 $\sqrt{2}$ $(1 \t1 \t1 \t1 \t1$ $\overline{\langle C_{bkg} \rangle}$ is the background concentration, i.e. the pollutant concentration of the incoming 50 51 atmospheric flow (which here is set 52 and \sim 53 atmospheric flow (which here is set equal to zero) and where $q_V = \iint_{A_{\text{rod}}} (\overline{c} \cdot \overline{w} + c'w') dA$ is the pollutant se models can be improved by finer
rections (Soulhac et al., 2013) as a
ss the need for direct estimates of u_e
ents.
cale (e.g. Bentham and Britter, 2003;
change ratio, that can be used as a
a
mopy and the overlying atm based on both numerical simulations and wind tunnel experiments.

Strictly speaking, u_e can be regarded as a bulk velocity scale (e.g. Bentham

Solazzo and Britter, 2007; Solazzo et al., 2010), or an exchange ratio, tha ions and wind tunnel experiments.

regarded as a bulk velocity scale (e.g. Bentham and Britter, 2003;

azzo et al., 2010), or an exchange ratio, that can be used as a

sfer processes between the canopy and the overlying a

 54 flux at reaf layel through the exch $55⁴$ flux at roof level through the exchange surface A_{rod} . The latter is given by the sum of a mean 56 57 $q_m = || \bar{c} \cdot \bar{w} dA$ and a turbulent $q_{\bar{r}} =$ $\frac{1}{4}$ 59 $q_T = \iint_{A_{\text{rod}}} c \cdot w \, dx$ and a turbuicht $q_T = \iint_{A_{\text{rod}}} c \, w \, dx$ contrite

60 fluctuations of vertical velocity and concentration). 61

 $1 \quad 1 \quad 1 \quad 1 \quad 1 \quad 1 \quad 1$ $\frac{1}{2}$ urban geometry and of the wind incident angle. It is questionable if RANS closure models can $\frac{3}{2}$ provide reliable estimates of u given $\frac{3}{4}$ provide reliable estimates of u_e , given the high intermittency characterising the exchange between 5 the canyon and the overlying flow T $\frac{5}{6}$ the canyon and the overlying flow. This topic was the subject of a detailed study by Moonen et al. ⁷ (2011) concerning the ventilation of a square section canyon of varying length, by means of RANS $8 \t\t 8$ 9 and LES simulations. Their results show that RANS simulations generally tend to smooth the 10 dependence of u_e on the wind direction for small canyons, i.e. length of the canyon less than $2H$,

and may induce errors of more than 100%, depending on the wind direction. However, the 12 and more indeed concarred f more t 13 and may mode errors of more to 14 difference between the two numer 15 difference between the two numerical models is progressively reduced for increasing canyon 16 lengths and is of order 20% for a le ¹⁶ lengths, and is of order 20% for a length of the canyon \geq 10H. Results also show that, as the length ¹⁸ of the canyon attains and exceeds 5H, RANS simulations are able to capture the general tendencies 19 — ¹ 20 of the dependence u_e on the wind direction, although generally underestimating LES predictions of 21 22 u_e . For these reasons, we are confident that our simulations provide reliable information on the 23 a c in the set $\frac{25}{24}$ dependence of u_e on wind direction and street aspect ratios. Assuming the results of Moonen et al. 25 (2011) as a reference even though the $\frac{25}{26}$ (2011) as a reference, even though the form of the canyons considered here is somehow different to 27 that they simulated we expect our e $\frac{27}{28}$ that they simulated, we expect our estimates of the exchange velocity to be affected by differences 29 of about 20% with respect to similar estimates provided by LES simulations. 30 In this study we are interested in showing the dependence of u_e on slight modifications of the Encytomation are were numbered most and model in progressive properties on the meaning entry
of the canyon attains and exceeds 5H, RANS simulations are able to capture the general tendencies
of the dependence u_e on the ights, and is of order 20% of a length of the canyon $\geq 10H$. Results also show that, as the length
the canyon stations are a length of the canyon $\geq 10H$. Results also show that, as the length
the capinon attains and

31 Values of u_e have been here inferred from those of the total flux of mass q_v , that have been 32 33 computed as the residual of a balance of the pollutant fluxes entering and leaving the array through 34 35 the sections of the streets at its borders. In stationary conditions, the integral mass balance over the 36 37 whole array can be written as:

$$
\int_{V} Q_{U} dV = q_{V} + \int_{A} (\overline{U}_{i} \cdot \overline{C} + \overline{u_{i}'c'}) \cdot n_{i} dA
$$
\n(8)

 $41 - 1$ 42 where C is the averaged concentration, Q_U is the passive scalar emission rate per unit volume 43 and the set of the se within the array, A is the total surface of the street sections at the border of the neighbourhood, V is 45 the column of the contained in it and ⁴⁵ the volume of air contained in it and $\overline{u'_i c'}$ are the three component of the turbulent scalar fluxes. The 47 **1 1 2 2** 1 1 **2 1** $\frac{1}{48}$ last two flux terms on the r.h.s. of Eq. (8) denote the mean and turbulent mass transfer trough the 49 vertical section of the street at the $\frac{49}{50}$ vertical section of the street at the canopy lateral border. These latter fluxes were computed from 51 the numerical results as: 52 $\mu_{\rm g}$, or hese tessans, φ are contained in it and ' anticalistic protocol value of alternation and street speet ratios. Assuming the results of Moonen et al. (2011) as a reference, even though the form of the cany Values of u_c have been here inferred from those of the total flux of mass q
computed as the residual of a balance of the pollutant fluxes entering and leaving
the sections of the streets at its borders. In stationary or about 2000 with respect to similar columns provided by EES simulations.

Values of u_e have been here inferred from those of the total flux of mass

computed as the residual of a balance of the pollutant fluxes enteri

$$
\frac{53}{54} \qquad \frac{a_i'c'}{u_i'c'} = -D_i \frac{\partial \overline{C}}{\partial x_i}
$$
\n(9)

57 where $D = \frac{V_t}{V}$ is the turbulent diff $\frac{1}{58}$ where $D_t = \frac{1}{56}$ is the tarbatch different 59 and 59 where t $D_t = \frac{V_t}{Sc_t}$ is the turbulent diffusivity of mass, estimated as the ratio of the turbulent viscosity

 60 v and the turbulent Schmidt number $\begin{array}{lll} 60 & v_t \text{ and the turbulent Schmidt number } Sc_t. \end{array}$ $1 \qquad \qquad \bullet \qquad \bullet \qquad \bullet \qquad \bullet$ $\overline{2}$ (7). To that end the concentration within the array $\langle C_{\text{canopy}} \rangle$ was computed as a volume integral 3 4 from the CFD results. Table 4 sum $5₁$ ⁶ normalized by $u_r = 0.23$ ms⁻¹ (Garber ⁶ normalized by $u_* = 0.23 \text{ms}^{-1}$ (Garbero et. al., 2010). The vertical exchange velocity u_e was then estimated for each configuration by means of Eq. from the CFD results. Table 4 summarizes the values of u_e obtained by CFD simulations and

Table 4 about here

13 Our estimates of the non-dimensional exchange velocity show limited discrepancies ($\pm 20\%$ 14 (1) $\frac{1}{2}$ (1) $\frac{1}{$ 15 approximately) with the predictions of the model formulated by Soulhac et al. (2013), i.e. 16 17 $u_e / \approx 0.27$, and Bentham and Britte 18 / u_* 19 20 larger than those measured by Sal larger than those measured by Salizzoni et al. (2009) $\left(\frac{u_e}{u_*} \approx 0.2\right)$ in two dimensional street 21 22 **a** a set \overline{z} a set 23 canyons. This difference can be easily explained by the fact that part of the mass exchange 24 \cdots and \cdots is the set of \cdots 2D \cdots $2\frac{2}{3}$ mechanisms observed in 3D geometries do not take place in a two-dimensional canyon, namely 26 those associated to the vertical mea those associated to the vertical mean and turbulent fluxes at street intersections and close to the 28 street lateral borders. 29 The vertical exchange velocity u_e was then estimated for each configuratio

7). To that end the concentration within the array $\langle C_{\text{canopy}} \rangle$ was computed as

om the CFD results. Table 4 summarizes the values of u_e ob $u_e/u_* \approx 0.27$, and Bentham and Britter (2003), i.e. $u_e/v_* \approx 0.3$. Exchange velocities are also always

 30 Comparing our results with estimates from previous numerical studies requires to normalise u_e 31 32 with a reference velocity U_{ref} , taken at 2.5H (see Hamlyn and Britter, 2005). In our case u_e is about 33 **a zou a zy a a** a bit a bi 34 2-5% of U_{ref} , depending on the configuration, a range that compares favourably well to those 35 and $4 \ln 9.1$ and $7 \ln 4$ $(20$ $\frac{33}{36}$ reported by Solazzo and Britter (2007), Hamlyn and Britter (2005) and Panagiotou et al. (2013). 37 Solazzo and Britter (2007) showed $\frac{37}{38}$ Solazzo and Britter (2007) showed that, in an isolated canyon with an external wind blowing 39 neros neurodicularly to the street axis, u_{∞} ³⁹ perpendicularly to the street axis, u_e is approximately around 1% of U_{ref} . Hamlyn and Britter (2005) ⁴¹ and Panagiotou et al. (2013) show that the variations of u_e can by hardly correlated to those of λ_p 42 43 and generally lay in the range 2% - 10% U_{ref} . As a further remark, we point out that the values of 44 45 $u_e /$ in Table 4 annear to be almost 46 / u_* in Table + appear to be almost det 47 48 confirms that the value of the flow rate can induce misleading information concerning the 49 **co** de la partida de l $\overline{50}$ effectiveness of canopy ventilation and cannot be used as a reliable parameter for estimates of city 51 husetlability in course of supers 52° breathability in compact arrays. u_e in Table 4 appear to be almost decoupled from those of the vertical flow rates (Fig. 9). This

 53 and $\frac{1}{2}$ 54 For each angle, $\binom{u_e}{v}$ values for 55 For each angle, u_e/du_* values for Configuration 1 are lower than those obtained in the two other 56 configurations, which have larger total exchange area at roof top, and therefore lower λ_p (λ_p =0.69 58 59 for Configuration 1 and $\lambda_n=0.59$ C ⁵⁹ for Configuration 1 and $\lambda_p=0.59$ Configuration 2 and 3). Significant variations of μ_e/μ_* can be u_e can be

 1 2 Configuration 1 the ratio u_e for Configuration 1 the ratio u_e/μ_* for $\theta = 47.5^\circ$ is almost 50% larger than that for $\theta = 2.5^\circ$. The 4 $\frac{1}{5}$ significant dependence on the angle θ is also demonstrated by the different values obtained for 6 Configurations 2 and 2 for $0-47.58$. $\frac{6}{7}$ Configurations 2 and 3 for θ =47.5°, which in fact are the same geometrical configurations, rotated 8 of 5^o (i.e. Configuration 3 is the s $\frac{8}{9}$ of 5° (i.e. Configuration 3 is the same as Configuration 2 rotated by an angle of 90°, thus ¹⁰ Configuration 3 subjected to a wind direction $\theta = 47.5^{\circ}$ corresponds to Configuration 2 subjected to 11 c 3 and 3 12 a wind direction θ =42.5°, see Section 2 and Fig. 2). however observed also for a fixed array geometry, as the wind incident angle varies. For

13 14 An increased exchange area is therefore only partially responsible for an enhancement of the 15 (1 1 TH' 1 d C $\frac{16}{16}$ vertical exchange. This has therefore to be attributed to a general variation of the flow dynamics 17 18 within the array. In particular, our real within the array. In particular, our results (Fig. 11) suggest that an increase of u_e/d_x can be due to an 19 20 21 enhancement of the mean counterna enhancement of the mean counterpart q_m of the total vertical flux q_V . Values of the ratio $\frac{q_m}{q_V}$ for $\frac{q_v}{q_V}$ 23 24 \mathbf{u} \mathbf{u} \mathbf{v} 25 corresponding ℓ_{μ} are given in Fig. corresponding u_e / u_* are given in Table 5, which shows that $\frac{q_m}{q_V}$ increases for increasing θ (this 26 27 homens for all configuration except happens for all configuration except for Configuration 3, as $\theta = 12.5^{\circ}$). This trend confirms the ²⁹ aualitative analysis presented in Sub $^{29}_{30}$ qualitative analysis presented in Subsection 5.1 concerning the mean flow patterns within the array, 31 as visualized by the mean streamlines. A larger θ is generally responsible for a higher complexity of $32 \left(\frac{1}{2} \right)$ 33 the streamline topology, resulting in a higher interaction between the mean flow developing above 34 35 the canony and within it Minimal v 36 and can be given when it will have 37 38 consequence of the strong channelling along large roads (Panagiotou et al., 2013) whose axis is 39 and \sim 40 almost perpendicular to the wind direction (Soulhac and Salizzoni, 2010). The largest value of $\frac{q_m}{q}$ 42 43 for each configuration are obtained $^{43}_{44}$ for each configuration are obtained for $\theta = 47.5^{\circ}$ as the mean flow streamlines produce the most 45 complex patterns (Fig. 8) $^{45}_{46}$ complex patterns (Fig. 8). V q_V V q_m : q_m is the set of q_m is the set of q_m (4.1) $\frac{q_m}{q_v}$ increases for increasing θ (this the canopy and within it. Minimal values of $\frac{q_m}{m}$ are observed for Configuration 2 and $\theta = 2.5^{\circ}$, as a V q_m 1 1 c α c α 2 $\frac{q_m}{q_v}$ are observed for Configuration 2 and $\theta = 2.5^{\circ}$, as a V q_{m} q_V

Table 5 about here

Fig. 11 about here

54 **THE CALL CALL** $\frac{55}{55}$ The linear fitting of the data in Table 5 and Fig. 11 provides a relation of the form:

$$
\frac{u_e}{u_x} = a \frac{q_m}{q_v} + b \tag{10}
$$

⁴ where the values of the constant *a* and *b* varies depending on the data used to fit the regression line. $5₁$ ⁶ When all data are fitted we obtain σ ⁶ When all data are fitted we obtain $a = 0.27$ and $b=0.22$, values that are also obtained when fitting 8 the data for Configuration 2 and 3 α $\frac{8}{9}$ the data for Configuration 2 and 3. Conversely, when data for Configuration 1 are only considered, 10 the velve of s is alightly length and the the value of a is slightly larger and that of b is slightly lower. 12 Although purely empirically derive $\frac{12}{13}$ Although purely empirically derived, the trend of Eq. (10) and its form can be interpreted 14 q_m , q_m , q_m physically. The term $a \frac{q_m}{q_V}$ indicates that the increase of u_{ϵ} is related to an increased contribution

17 $\frac{1}{18}$ of the mean fluxes, that generally increase with θ . This is clearly linked with the topology of the 19 mean streamlines (see Fig. 8) which $\frac{19}{20}$ mean streamlines (see Fig. 8) which becomes more complex for larger wind angles. The constant b 21 represents the turbulent counterpart $\frac{21}{22}$ represents the turbulent counterpart of the exchange which holds when the mean vertical flow is ²³ suppressed, as it happens in 2D street canyons. It is worth noting that the value of b is in close 24 and 25 and 26 and 26 and 26 and 26 and 26 and 27 an 25 agreement with the direct estimate μ ²⁵ agreement with the direct estimate $u_{\epsilon} / u_* \approx 0.2$ achieved experimentally by Salizz $u_e / \approx 0.2$ achieved experimental

28 It is to note that existing nor agreement with the direct estimate $u_e / u_* \approx 0.2$ achieved experimentally by Salizzoni et al. (2009).

²⁸

²⁸

It is to note that existing parameterisations of u_e / u_* are based only on the estimates of t 30 31 turbulent counterpart of the exchange and neglect any possible influence of the street aspect ratio $\frac{1}{2}$ 33 and wind incidence angle. Therefore, the parameterisations currently adopted in urban dispersion 34 **111** 111 111 11 35 models have to be handled with caution, since the canopy/atmosphere transfer is shown to be 36 $\frac{35}{37}$ significantly sensitive to both wind direction and street aspect ratios. In order to improve these bulk 38 exchange models a narameterisation $\frac{38}{39}$ exchange models, a parameterisation of the contribution of the mean flow would then be necessary 40 $\frac{40}{41}$ to include the effects of a varying θ on $\frac{u_e}{u_e}$. u_e are based only on the estimates of the u^*

45 7. Conclusions

47 In this paper we analysed pollutant dispersion and ventilation conditions within densely packed 48 49 group of obstacles representative of central European neighbourhoods in terms of packing density 50 (1.1 1.1 1.1) 51 (expressed though the morphometric parameters λ_p and λ_f), though in simplified form. This kind of 52 urban configurations gyon though $\frac{52}{53}$ urban configurations, even though usually associated to high traffic levels and densities of 54 nopulation have been rarely studied ⁵⁴ population, have been rarely studied in the literature. Exploring ventilation conditions in this type of 56 urban neighbourhood is indeed crucial for the assessment of air quality scenarios and their impacts 57 58 on human health for a consistent part of the population of European countries.

60 To this aim, we performed CFD RANS simulations focusing on the influence of a varying wind 61 1^{1} $\frac{62}{62}$ direction and of slight modification of the geometrical parameters of the building array. Simulations

1 a α a α a β $\frac{1}{2}$ mean flow rate, the mean age of air and the exchange velocity which, all together, provided a $\frac{3}{2}$ measure of "city breathobility" of $\frac{3}{4}$ measure of "city breathability" of compact arrays. Robustness of numerical simulations was 5 reliminarily tested through detailed $\frac{5}{6}$ preliminarily tested through detailed comparisons with measurements of flow velocity and passive 7 scalar concentration from previous wind tunnel experiments. 8 were performed to estimate parameters that would be difficult to measure experimentally, i.e. the

 9 Results showed that, differently from what observed in sparse arrays, the mean flow rate did 10 1.1.1 1 21 11 not exhibit a clear dependence of the geometry and wind direction and therefore it is not suitable for 12 $\frac{12}{13}$ assessing ventilation conditions in compact cities. Conversely, the mean age of air revealed a high 14 variability of ventilation conditions $\frac{14}{15}$ variability of ventilation conditions depending on the incident wind angle and slight modifications $\frac{16}{12}$ of the array's geometry. These varying ventilation conditions have been explained by a detailed 17 and 17 are 17 and 17 are 17 and 17 18 analysis of the mean flow streamlines and the exchange velocity.

19 20 Specifically, for low wind angles we observed a clear effect of channelling of pollutants along 21 1 1 1 1 1 1 1 1 1 1 1 $\overline{22}$ the street parallel to the wind direction. This effect, combined with relative low exchanges at street 23 interpretional and with the examining $\frac{25}{24}$ intersections and with the overlying atmosphere, results in poor ventilation conditions. Conversely, 25 large wind angles are shown to ev $\frac{25}{26}$ large wind angles are shown to enhance transversal mean transfers at street intersections and ²⁷ vertical exchange with overlying atmosphere. The analysis of the exchange velocity further clarified 28 29 that, for increasing incident angles, the vertical transfer increases due to the enhancement of the 30 31 mean counterpart of the total flux. As evidenced from the mean flow streamlines topology, whose $32 \qquad \qquad \bullet \qquad \bullet$ $33\overline{3}$ 3-D structure becomes more complex as the wind incident angle increases, this effect was 34 executed to a stronger interaction $35⁴$ associated to a stronger interaction between the mean flow developing above the canopy and that $\frac{36}{27}$ within it. 37 **Matter 1.**

38 The strong variability of the ventilation conditions due to changing wind directions and slight 39 40 variations in the array geometry, which in turn induce little variations in the morphometric 41 42 parameters λ_p and λ_f , implies evident shortcomings for the adoption of urban models that describe 43 44 the spatially-averaged ventilation conditions based on a reduced set of morphometric parameters.

45 $\frac{46}{46}$ Our analysis also suggests the need of (i) taking into account the mean advective vertical mass 47 fluxes whose intensity was shown $\frac{47}{48}$ fluxes, whose intensity was shown to be sensitive to the wind direction, and (ii) considering the 49 narameterisation of a bulk vertical $^{49}_{50}$ parameterisation of a bulk vertical exchange velocity characterising the transfer between the 51 canopy and the overlying atmosphere.

52 53 Overall, the results presented here clearly show that the identification of a reduced set of 54 55 parameters assessing the flow and pollutant dispersion within a city neighbourhood, without 56 57 computationally expensive CFD simulations, still remains a challenge for a comprehensive 58 evaluation of the breathability of con $59⁵⁸$ evaluation of the breathability of compact cities.

Acknowledgements

 π ¹ π ¹ π ¹ $\frac{1}{2}$ This study was supported by the ANR (AIR-Q project 2012-14), by the Region Rhône Alpes $\frac{3}{2}$ and by Degiona Diamonta via the and by regione Fremonte via the mobility strategies A study of three re $\frac{5}{6}$ mobility strategies. A study of three re

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Figure captions

- $\frac{1}{\sum_{i=1}^n 1$ View of typical European eity noichl $\frac{1}{2}$ Fig. 1. View of typical European city neighbourhoods: (a) Barcelona, Spain, (b) Lyon, France, (c) Bari, Italy and (d) Turin, Italy.
- $\frac{3}{4}$ Fig. 2. Diagram showing configurations (model scale 1:400), source position (black point) and wind directions θ .
- $\frac{4}{5}$ Fig. 3. Vertical profiles of non-dimensional mean longitudinal velocity (a), turbulent kinetic energy (k) (b) and k $\frac{1}{5}$ rig. J. vertical profiles of non-dimensional
- dissipation ε (c). Symbols refer to wind tunnel measuraments of Garbero et al. (2010) above the obstacle array. Dotdashed lines refer to the inlet profiles imposed in the CFD numerical simulations, correpsonding to (a) Eq. (1), (b) Eq. 8 (2) and (c) Eq. (3). (2) and (c) Eq. (3).
- **Fig. 4.** (a) 3D schematic sketch of geometry and boundary conditions used in CFD simulations and (b) building array 10 showing the reference upstream area A_{ref} (grey) used for the calculation of the normalized flow rates.
- **Fig. 5.** Normalized mean velocity horizontal $(u/U_H$ and v/U_H , top and middle) and vertical (w/U_H) , bottom) profiles along 12 the dashed lines at street intersection for (a) Configuration 1 and (b) Configuration 2 at x=0 (point source position, see 13 Fig. 2) and $z=H/2$ for wind direction $\theta=2.5^{\circ}$.
- 14 **Fig. 6.** Normalized mean velocity horizontal $(u/U_H$ and v/U_H , left) and vertical $(w/U_H,$ right) profiles along the dashed 15 line (first street on the right with respect to the source position) at street intersection for Configuration 1 ($S_x=S_y=H$) and $z=H/2$ for wind direction $\theta=47.5^{\circ}$. 16 $z=H/2$ for wind direction $\theta=47.5^{\circ}$. ods: (a) Barcelona, Spain, (b) Lyon, France, (c) Bari, Italy and (d)

the 1:400), source position (black point) and wind directions θ .

longitudinal velocity (a), turbulent kinetic energy (b) (b) and k

longitudinal ve
- $\frac{17}{17}$ Fig. 7. Normalized concentrations c^+ along the dashed lines (third street on the right with r **Fig. 7.** Normalized concentrations c^+ along the dashed lines (third street on the right with respect to the source) at $z=H/2$ for wind directions $\theta=2.5^\circ$ and 47.5° for (a,c) Configuration 1, (b) Configuration 2 an
- 19 Fig. 8. Mean flow streamlines for (a,c) Configuration 1 and (b,d) Configuration 3 with $\theta = 2.5^\circ$ and 47.5°. The wind 20 blows from the left inclined by (a,b) 2.5° and (c,d) 47.5° to the x-direction (see Fig. 2).
- 21 **Fig. 9.** Normalized flow rates for approaching wind direction (a) $\theta=2.5^\circ$, (b) $\theta=12.5^\circ$, (c) $\theta=27.5^\circ$ and (d) $\theta=47.5^\circ$. The 22 flow rate is positive for air entering the array and negative for air leaving the array.
- 23 Fig. 10. Normalized mean age of air at pedestrian level for wind direction (a) $\theta = 2.5^{\circ}$, (b) $\theta = 12.5^{\circ}$, (c) $\theta = 27.5^{\circ}$ and (d) 24 $\theta = 47.5^{\circ}$.
- 25 $\frac{1}{26}$ Fig. 11. Non-dimensional exchange velocity $\frac{u_e}{u_*}$ as a function of the ratio q_m/q_V (the m 27 vertical flux) and linear fitting (dashed line) u_{e} as a function of the ratio a/a (the u_* as a function of the ratio q_m / q_V (the i
- $\frac{27}{28}$ vertical flux) and linear fitting (dashed line) for the three configuration studied.

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Configuration 1 - $\theta = 47.5^\circ$

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Table 1

Values of the frontal index area (λ_f) for the study configurations.

Table 2

Results of the concentration statistical analysis. N/A stands for Not Available being wind tunnel data not available for that case.

Table 3

Normalized mean age of air at pedestrian level.

Table 4

Dimensionless vertical exchange velocity $\frac{u_e}{u_*}$. $u_e/$

Table 5

Ratio q_m/q_V (%) between the mean vertical mass flux and the total mass flux through the exchange surface A_{roof} .

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